



# Interprocedural Data Flow Analysis

## Static Program Analysis

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# Interprocedural Reaching Definitions

(1) int a, b, c;

(3) void q () {

(4) int z=1;

(5) a=2;

(6) b=3;

(7) p(4, z);

(8) z=a;

(9) c=5;

(10) p(6, c);

(11) }

Global Variables

(12) void p(int x,int &y) {

(13) static int a = 6;

(14) a=c;

(15) if(x) {

(16) d=7;

(17) p(8, x);

(18) } else {

(19) b=9;

(20) }

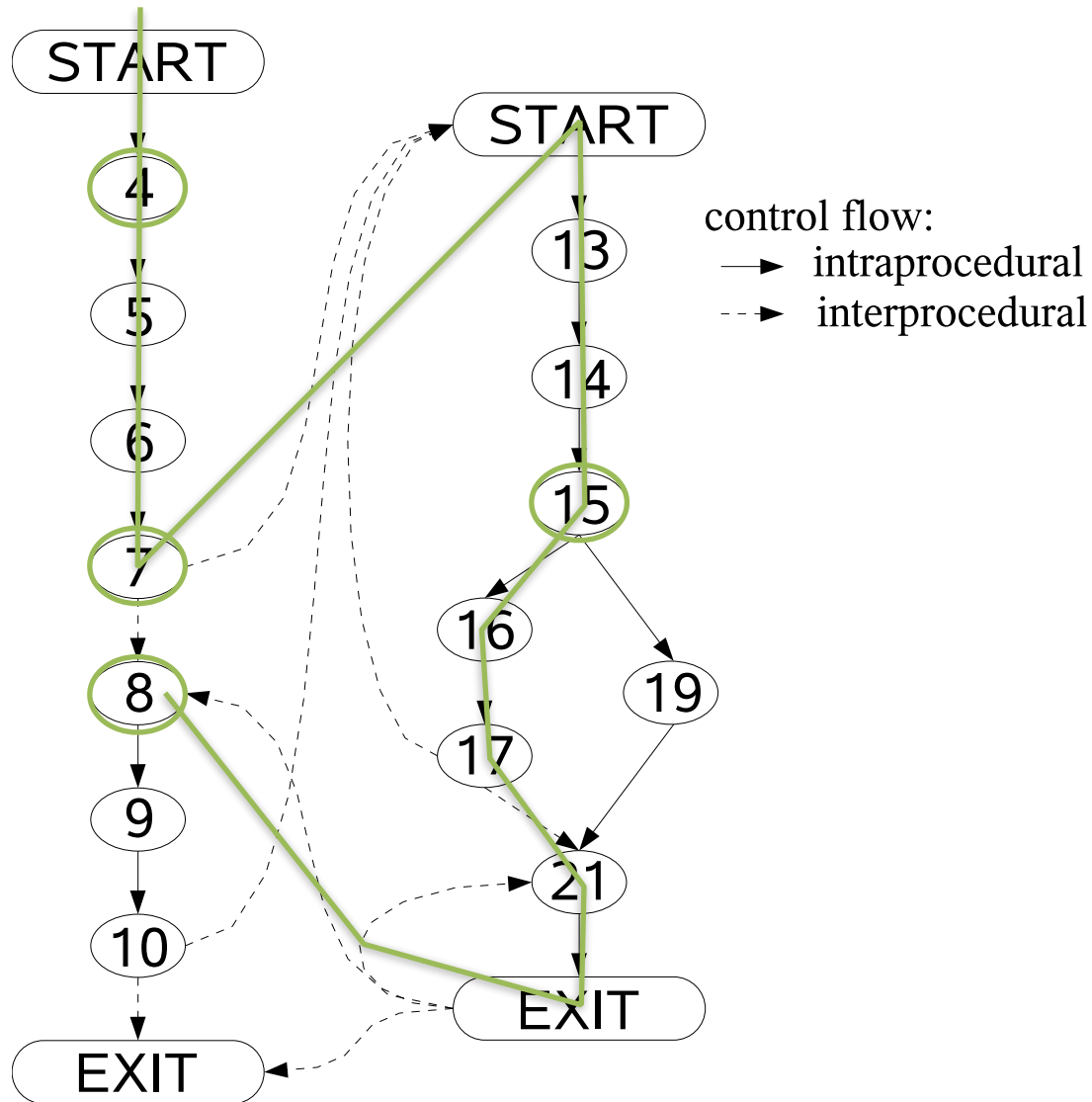
(21) y =0;

(22) }

call-  
by-reference

call-  
by-value

# Interprocedural Control Flow Graph



- $RD_{IMOP}(n) = \bigcup_{p=\langle n^{s_0}, \dots, n \rangle} [p](\emptyset)$
- where  $p$  are inter procedurally realizable paths (impossible in general)
- interprocedural minimal-fixed-point (IMFP) solution is computed
- However, impossible to check for interprocedurally realizable paths
- Procedures can be inlined
  - replace calls by the called procedure
  - resulting program can be analyzed like an intraprocedural one
  - not possible in the presence of recursion
  - even without the size of the inlined programs may grow exponentially
  - not feasible in practice

- Compute effects of procedures
  - represented in a transfer function
  - maps flow information at a call site from the call to the return
  - call statements are ordinary statements with transfer functions
  - intraprocedural techniques can be applied
- Explicit encoding of calling context of a procedure
  - procedure is analyzed for each calling context separately
  - in the presence of recursion the set of calling contexts may be infinite
  - depending on the encoding of the calling context

- functional approach [SP81]
- maps the data flow information at the entry of a procedure to the information that holds at the exit
- computed function can be used in the transfer functions at the call statements
- intraprocedural data flow analysis can then be used in a second pass
- first pass is a data flow analysis where the data flow information are functions and the transfer functions are function compositions
- For some data flow problems the resulting data flow information is infinite function compositions and therefore not computable
- For a large class of data flow problems these computed functions reduce to simple mappings where the composition can be computed instantly

- call strings capture the “history” of calls that lead to a node  $n$
- abstraction of the call stack
- lattice elements combine calling context and intraprocedural data flow facts
- transfer functions extended to handle the additional calling context
- length of the call strings can be limited to a certain length  $k$
- call string longer than  $k$  are shortened such that the “oldest” elements are removed first
- overcomes limitations of recursion
- maybe imprecise

- calling context  $c \in C$  encoded through data flow facts that hold at the entry to procedure  $p \in P$
- data flow facts  $c'$  at the exit of the procedure stored in mapping  $C \times P \rightarrow C$
- At every call node  $n$  of a procedure  $p$  the data flow facts  $c$  are then bound to data flow facts  $c' = \text{bind}(c)$  that hold at the entry node of  $p$
- If the effect of  $p$  for  $c'$  has already been computed, it can be reused from the mapping which contains the data flow facts  $c''$  holding at the exit of  $p$
- After back-binding the effect to the call site, the effect  $c''' = \text{bind}^{-1}(c'')$  holds at the exit of the call node  $n$



- Let  $G = (N^*, E^*, n^{s_0}, n^{e_0})$  be an ICFG. A node  $m \in N^*$  is data dependent on node  $n \in N^*$ , if
  - there is an interprocedurally matched path  $p$  from  $n$  to  $m$  in the ICFG,
  - there is a variable  $v$ , with  $v \in \text{def}(n)$  and  $v \in \text{ref}(m)$ , and
  - for all nodes  $k \neq n$  of path  $p$ ,  $v \notin \text{def}(k)$  holds.
- At call sites the global variables are modeled as call-by-value-result parameters, which is correct without call-by-reference parameters and aliasing
- $\text{GMOD}(p)$ : the set of all variables that might be modified if procedure  $p$  is called.
- $\text{GREF}(p)$ : the set of all variables that might be referenced if procedure  $p$  is called.

- $\text{bind}^{-1}(S, p) = S - \text{locals}(p)$
- $\text{GMOD}(n) = \text{bind}^{-1}(\text{GMOD}(p))$
- $\text{GREF}(n) = \text{bind}^{-1}(\text{GREF}(p))$
  
- $\text{GMOD}(q) = \text{IMOD}(q) \cup \bigcup_{p \in \text{calls}(q)} \text{bind}^{-1}(\text{GMOD}(p), p)$
- $\text{GREF}(q) = \text{IREF}(q) \cup \bigcup_{p \in \text{calls}(q)} \text{bind}^{-1}(\text{GREF}(p), p)$
  
- $\text{def}(n) = \text{GMOD}(n)$
- $\text{ref}(n) = \text{GMOD}(n) \cup \text{GREF}(n)$

# Example Interprocedural Data Dependences

